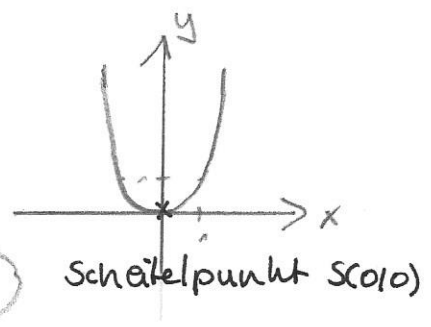


Quadratische Funktionen

$f(x) = ax^2 + bx + c$
 $a, b, c \in \mathbb{R}$
 Koeffizienten
 allg. Form einer
 quadr. Parabel

$f(x) = x^2$
 $(a=1, b=c=0)$



Achsenparallele Verschiebungen ($c > 0$)

↳ in Richtung der y-Achse

$$g(x) = x^2 + c \quad S(0|c)$$

$$f(x) = x^2$$

$$h(x) = x^2 - c \quad S(0|-c)$$

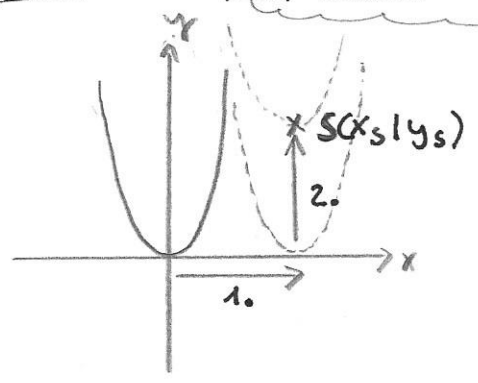
↳ in Richtung der x-Achse

$$g(x) = (x+c)^2 \quad S(-c|0)$$

$$f(x) = x^2$$

$$h(x) = (x-c)^2 \quad S(c|0)$$

↳ in beide Richtungen



$$f(x) = x^2 \xrightarrow{1.} g(x) = (x - x_s)^2$$

$$g(x) = (x - x_s)^2 \xrightarrow{2.} h(x) = g(x) + y_s = (x - x_s)^2 + y_s$$

Streckung, Stauchung, Spiegelung

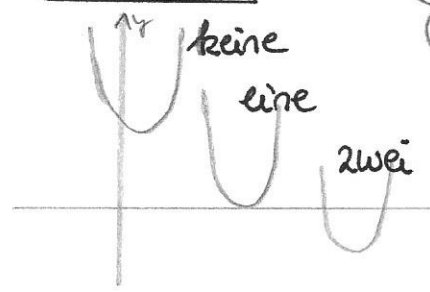
Streckung:
 $f(x) = a \cdot x^2$
 $a > 1$

Stauchung:
 $f(x) = a \cdot x^2$
 $0 < a < 1$

Spiegelung an x-A.
 $f(x) = a \cdot x^2$
 $a < 0$

Allg. Scheitelpunktsform: $f(x) = a \cdot (x - x_s)^2 + y_s$

Nullstellen



pq-Formel

$$x^2 + px + q = 0$$

$$x_{1/2} = -\frac{p}{2} \pm \sqrt{\frac{p^2}{4} - q}$$

